

W9 - P1

$$\text{In[1]:= Integrate}[x^7, x] + C$$

$$\text{Out[1]= } C + \frac{x^8}{8}$$

$$\text{In[2]:= Integrate}[2 y^5, y] + C$$

$$\text{Out[2]= } C + \frac{y^6}{3}$$

$$\text{In[3]:= Integrate}[x^{1.3}, x] + C$$

$$\text{Out[3]= } C + 0.434783 x^{2.3}$$

$$\text{In[4]:= Integrate}\left[\frac{4}{g^5} - \frac{3}{g^2}, g\right] + C$$

$$\text{Out[4]= } C - \frac{1}{g^4} + \frac{3}{g}$$

$$\text{In[5]:= Integrate}[\sqrt{x^7}, x] + C$$

$$\text{Out[5]= } C + \frac{2 x \sqrt{x^7}}{9}$$

$$\text{In[6]:= Integrate}[\text{Cos}[4 t], t] + C$$

$$\text{Out[6]= } C + \frac{1}{4} \text{Sin}[4 t]$$

$$\text{In[7]:= Integrate}[\varphi^4 - \text{Sin}[2 \varphi], \varphi] + C$$

$$\text{Out[7]= } C + \frac{\varphi^5}{5} + \frac{1}{2} \text{Cos}[2 \varphi]$$

$$\text{In[8]:= Integrate}\left[\frac{5}{z} + \text{Exp}[4 z], z\right] + C$$

$$\text{Out[8]= } C + \frac{e^{4 z}}{4} + 5 \text{Log}[z]$$

$$\text{In[9]:= Integrate}[\xi (\xi + a) (\xi + b), \xi] + C // \text{Expand}$$

$$\text{Out[9]= } C + \frac{1}{2} a b \xi^2 + \frac{a \xi^3}{3} + \frac{b \xi^3}{3} + \frac{\xi^4}{4}$$

W9 - P2

$$\text{In[10]:= Assuming}[t > 0, \text{Integrate}[n F A c \sqrt{\frac{d}{\pi t}}, t] + C // \text{FullSimplify}]$$

$$\text{Out[10]= } C + \frac{2 A c F n \sqrt{d t}}{\sqrt{\pi}}$$

W9 - P3

In[11]:= **Integrate**[**Cos**[3 x]², {x, 0, π/2}]

Out[11]= $\frac{\pi}{4}$

In[12]:= **Integrate**[**Sin**[2 φ] **Cos**[2 φ], {φ, 0, π/2}]

Out[12]= 0

In[13]:= **Integrate**[**Sin**[α] **Cos**[2 α], {α, 0, π}]

Out[13]= $-\frac{2}{3}$

W9 - P4

In[14]:= $\psi[k_, x_] := \sqrt{\frac{2}{L}} \sin\left[\frac{\pi k x}{L}\right];$

Assuming[L > 0 && n ∈ Integers && n > 0 && m ∈ Integers && m > 0 && m == n,
Integrate[ψ[n, x] ψ[m, x], {x, 0, L}]]

Out[15]= 1

In[16]:= **Assuming**[L > 0 && n ∈ Integers && n > 0 && m ∈ Integers && m > 0 && m ≠ n,
Integrate[ψ[n, x] ψ[m, x], {x, 0, L}]]

Out[16]= 0

W9 - P2

In[17]:= **Integrate**[$\frac{1}{x^2 - 9}$, x] + C

Out[17]= $C + \frac{1}{6} \text{Log}[3 - x] - \frac{1}{6} \text{Log}[3 + x]$

In[18]:= **Integrate**[$\frac{1}{x^2 + 4}$, x] + C

Out[18]= $C + \frac{1}{2} \text{ArcTan}\left[\frac{x}{2}\right]$

In[19]:= **Integrate**[$\frac{x + 1}{2x + 1}$, x] + C

Out[19]= $C + \frac{1}{4} (1 + 2x + \text{Log}[1 + 2x])$